

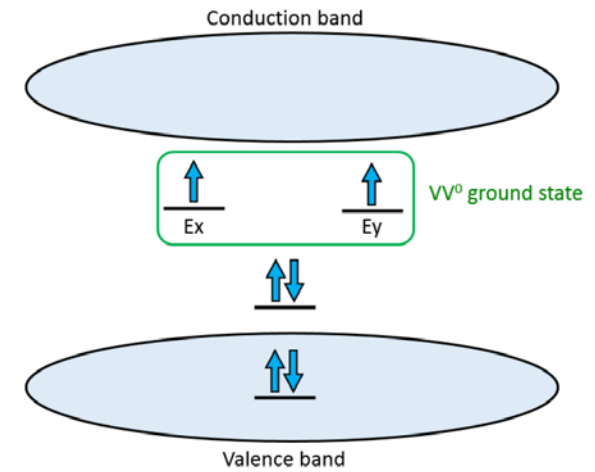
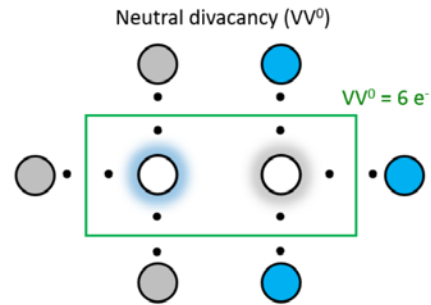
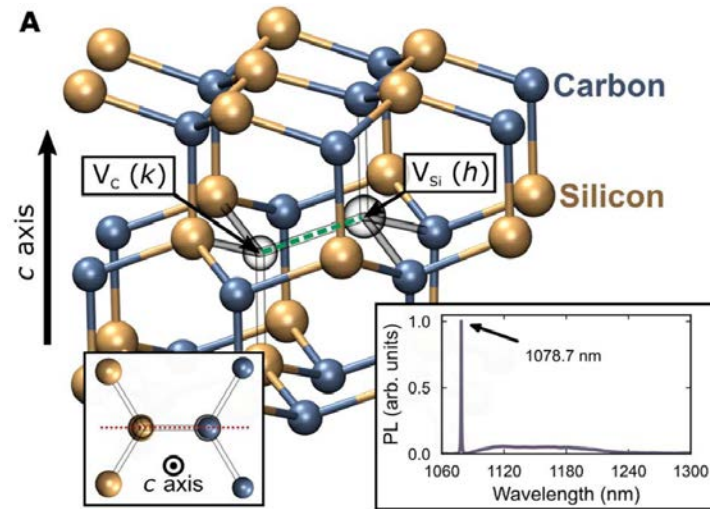
Electrically driven optical interferometry with spins in silicon carbide

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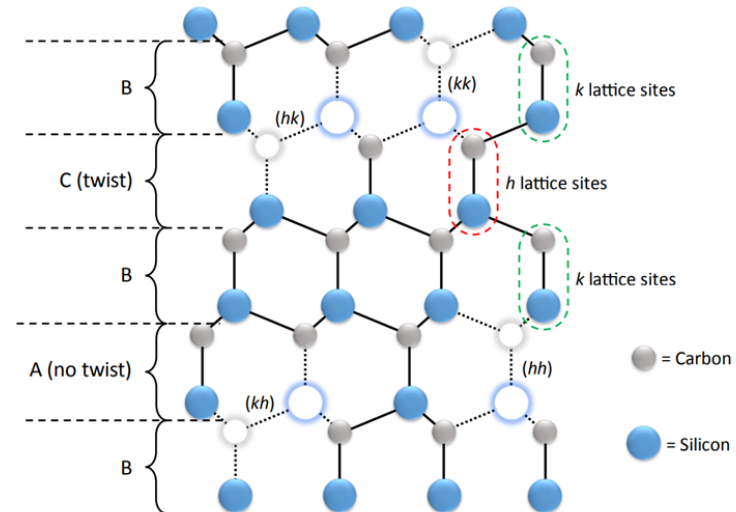
Ground state spins: weak coupling to environment, good coherence

Excited-state orbitals: stronger coupling to photonic & E fields

Neutral divacancy in silicon carbide

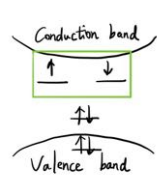


a localized C_{1h}
symmetry system



Hamiltonian of divacancy

Ground State Hamiltonian of divacancy



Triplet $\begin{cases} \uparrow\uparrow = |1,1\rangle \\ \frac{\uparrow\downarrow + \downarrow\uparrow}{\sqrt{2}} = |1,0\rangle \\ \downarrow\downarrow = |1,-1\rangle \end{cases}$

Singlet $\frac{\uparrow\downarrow - \downarrow\uparrow}{\sqrt{2}} = |0,0\rangle$

qubit basis could be
 $m_S = \{|0\rangle, |1\rangle\}$ or $m_S = \{|\uparrow\rangle, |\downarrow\rangle\}$

① Zero-field H : SOC & spin-spin interaction

$$H_0 = \frac{1}{\hbar} (\vec{S} \cdot \vec{D} \cdot \vec{S}) \quad \text{Zero field splitting tensor} \quad \vec{D} = \begin{pmatrix} D_{xx} & D_{xy} & D_{xz} \\ D_{yx} & D_{yy} & D_{yz} \\ D_{zx} & D_{zy} & D_{zz} \end{pmatrix}$$

$$= \frac{1}{\hbar} (S_x D_{xx} S_x + S_y D_{yy} S_y + S_z D_{zz} S_z)$$

$$= \frac{1}{\hbar} (D_x S_x^2 + D_y S_y^2 + D_z S_z^2)$$

$$S_x^2 = \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}, \quad S_y^2 = \begin{pmatrix} \frac{1}{2} & \frac{1}{2} \\ \frac{1}{2} & \frac{1}{2} \end{pmatrix}, \quad S_z^2 = \begin{pmatrix} \frac{1}{2} & 0 \\ 0 & \frac{1}{2} \end{pmatrix}$$

$$D = \frac{2}{3} D_z, \quad E = \frac{D_x - D_y}{2}$$

D traceless

$$= \hbar \begin{pmatrix} \frac{D}{3} & E & 0 \\ 0 & -\frac{2}{3}D & 0 \\ 0 & 0 & \frac{D}{3} \end{pmatrix} = \hbar \left(D \left[\hat{S}_z^2 - \frac{S(S+1)}{3} \right] + E (\hat{S}_+^2 + \hat{S}_-^2) \right)$$

$2(S_x^2 - S_y^2)$

With eigen energy & states :

$$-\frac{2}{3}D\hbar, \begin{pmatrix} 0 \\ 1 \\ 0 \end{pmatrix}; \quad \left(\frac{D}{3} - E\right)\hbar, \begin{pmatrix} 0 \\ 1 \\ 1 \end{pmatrix}; \quad \left(\frac{D}{3} + E\right)\hbar, \begin{pmatrix} 1 \\ 0 \\ 1 \end{pmatrix};$$

$|m_S=0\rangle$ $|1-\rangle$ $|1+\rangle$

② Effect of static magnetic field

$$V_B = \mu_B g'' S_z B_z + \mu_B g' (S_x B_x + S_y B_y)$$

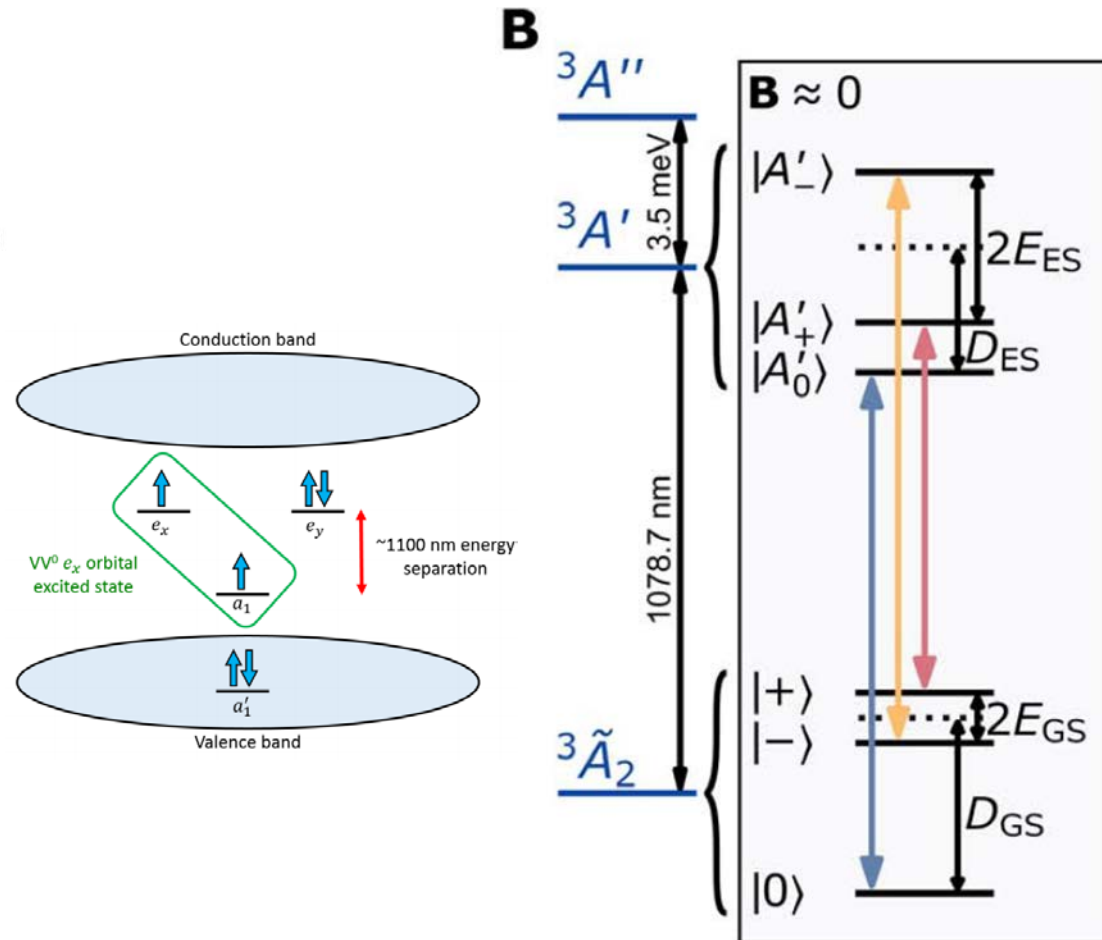
$$= \mu_B \begin{pmatrix} g'' B_z & \frac{g'}{\sqrt{2}} (B_x - i B_y) & 0 \\ \frac{g'}{\sqrt{2}} (B_x + i B_y) & 0 & \frac{g'}{\sqrt{2}} (B_x - i B_y) \\ 0 & \frac{g'}{\sqrt{2}} (B_x + i B_y) & -g'' B_z \end{pmatrix}$$

③ Nuclear spins

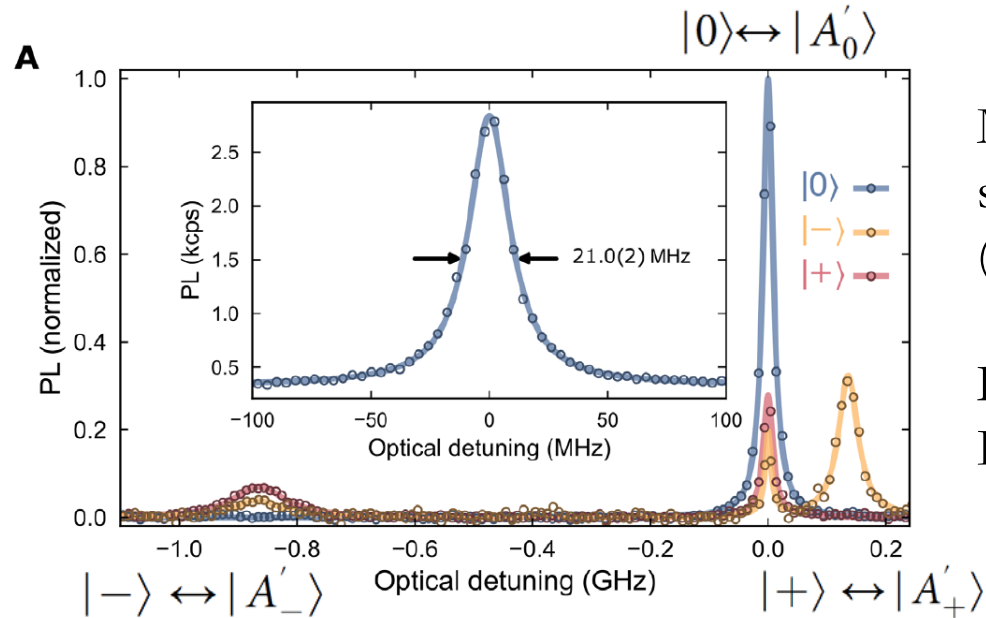
$$V_{\text{nuclear}} = A_g'' \hat{S}_z \otimes \hat{I}_z + A_g' (\hat{S}_x \otimes \hat{I}_x + \hat{S}_y \otimes \hat{I}_y)$$

$$= \sum_i \hat{S} \cdot \mathbf{A}_i \cdot \hat{I}_i$$

Excited state longitudinal and transverse zero-field splittings D_{ES} and E_{ES}



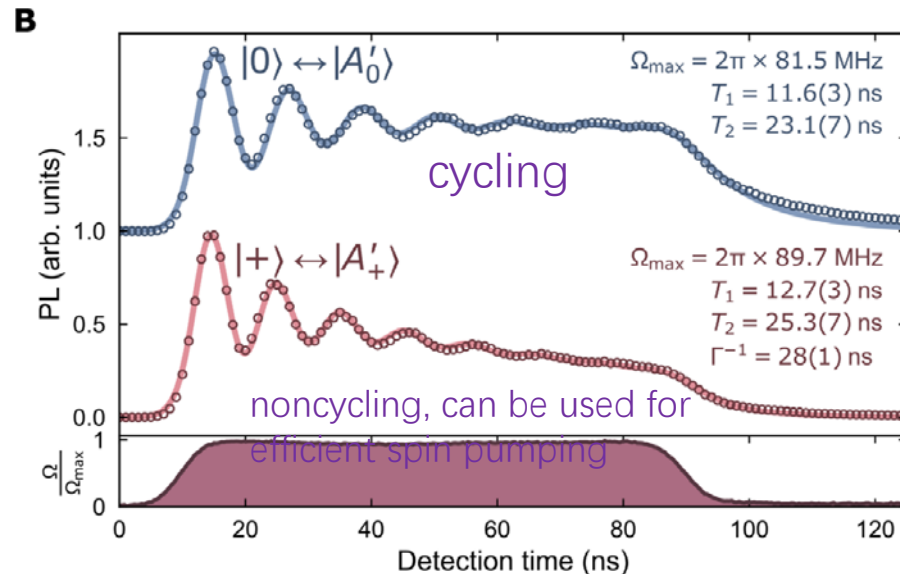
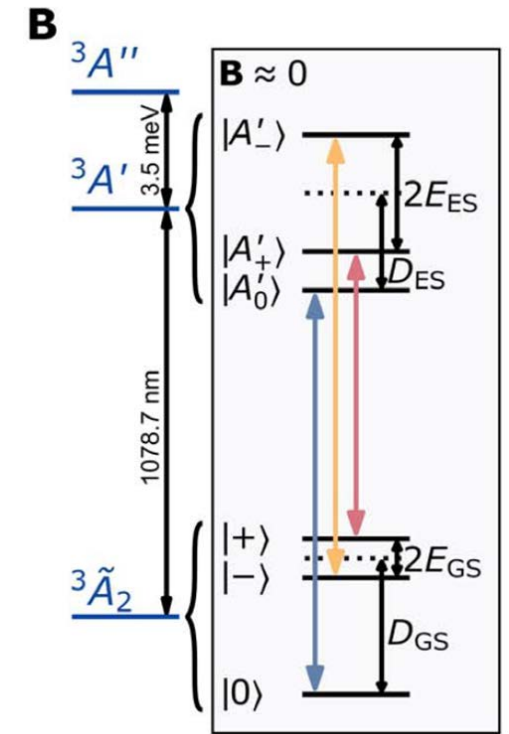
optical properties characterization



Map the fine structure of $3A'$ spin-dependent PL excitation (PLE) spectroscopy

$D_{ES} : +970 \text{ MHz}$

$E_{ES} : -483 \text{ MHz}$



Probe the excited-state dynamics
time-correlated fluorescence measurements

Optical TLS has near-lifetime-limited coherence

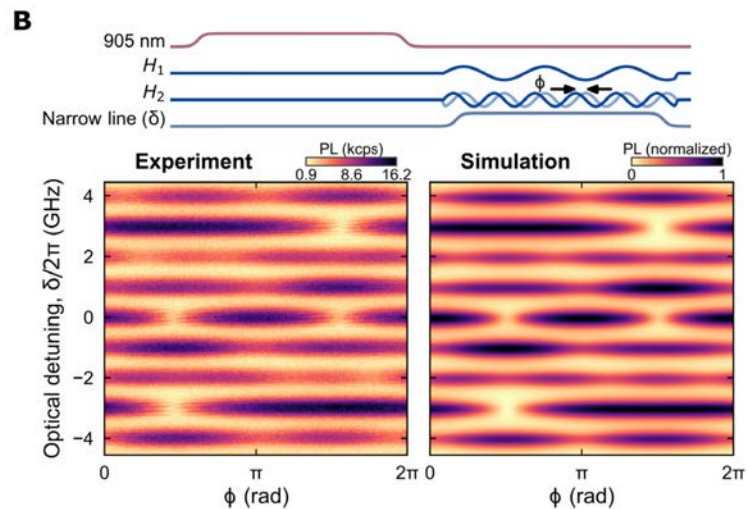
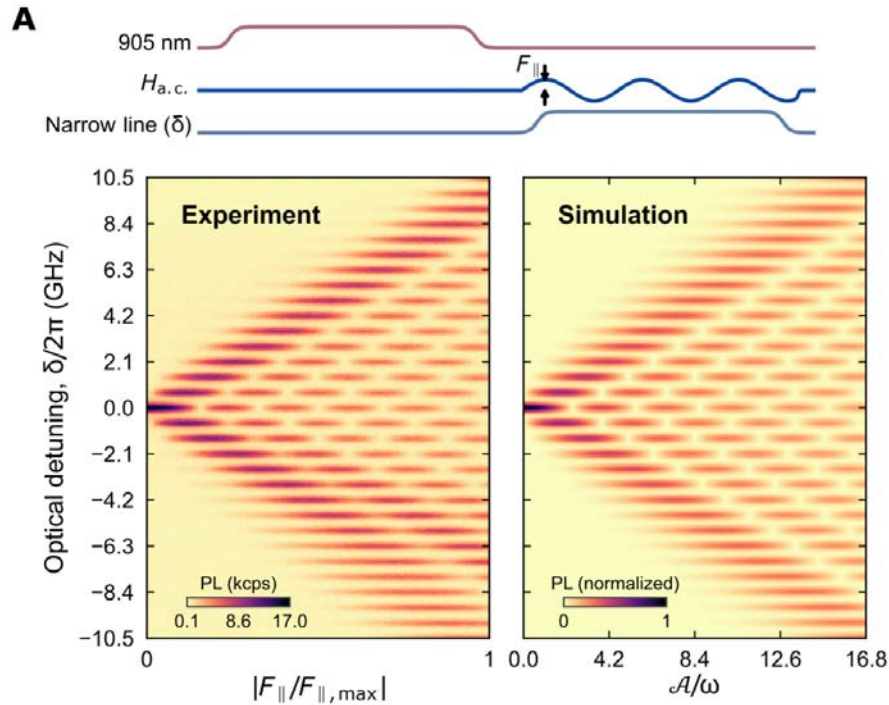
$$H(t)/\hbar = \frac{\Omega \cos(\omega_{\text{opt}} t)}{2} \sigma_x + \frac{\omega_0}{2} \sigma_z$$

Ω : optical Rabi frequency
 δ : laser detuning

$$\dot{\rho}(t) = -\frac{i}{\hbar} [H(t), \rho(t)] + \frac{1}{2} \sum_n (2C_n \rho C_n^\dagger - \{C_n^\dagger C_n, \rho\})$$

LZS interference

$$|0\rangle \leftrightarrow |A'_0\rangle$$



Arises when the TLS is repeatedly brought through an avoided crossing diabatically, Stückelberg phase between each crossing

Optical driving

Stark effect

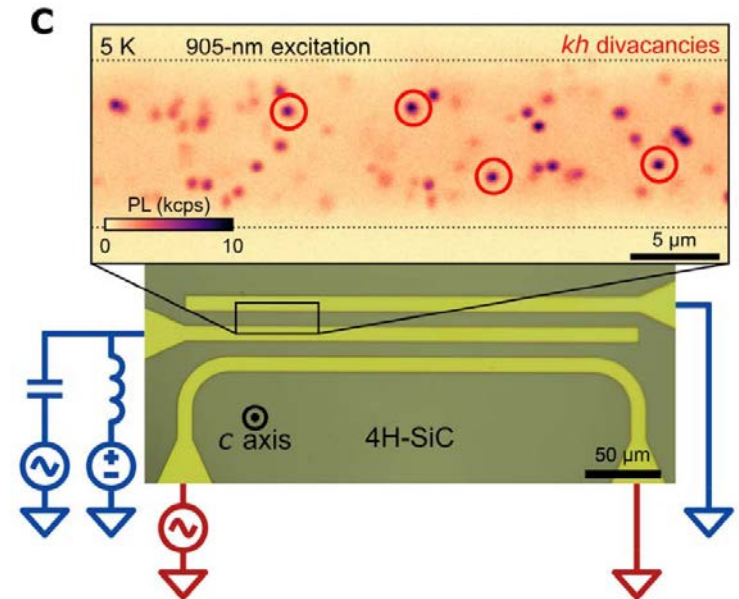
Multiphoton(15) resonances at detunings equal to integer multiples of drive frequency

F : Amplitude of E drive

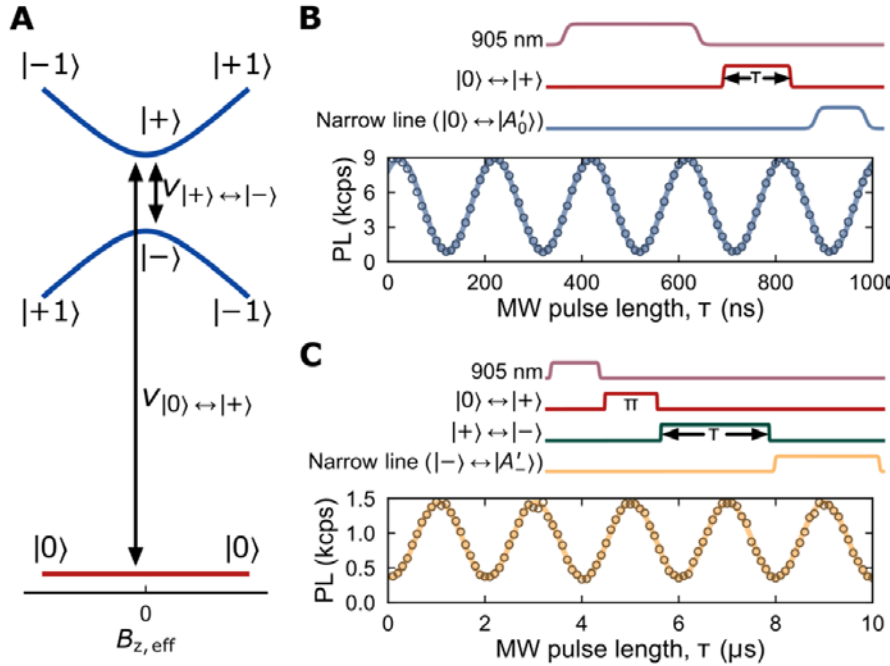
A : induced Stark shift amp

dc Stark shifts of excited-state orbital levels

GHz ac electric field drive concurrently with the resonant excitation



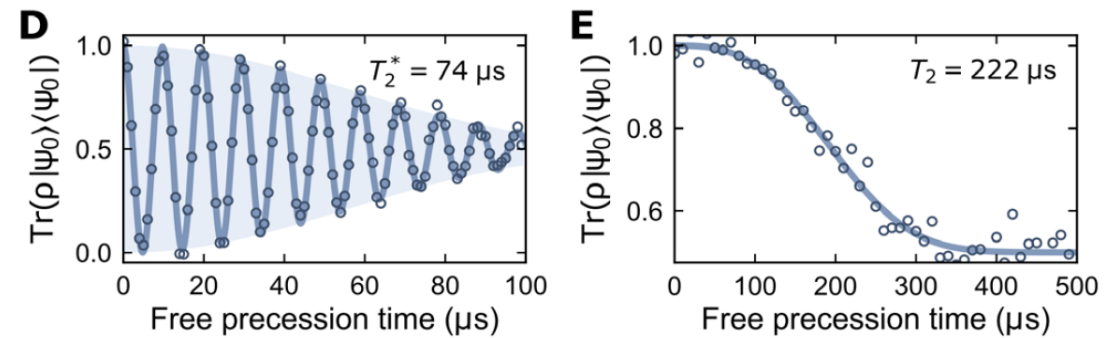
ground-state spin system in single kh VVs



magnetically driven transitions between all three spin states

Rabi oscillations marked by high PL contrast

Ramsey interferometry $\frac{1}{\sqrt{2}}(|0\rangle + |+\rangle)$



$$\text{ZFOZ} \quad \text{eigvec}(H/h) = \left\{ \begin{array}{ll} \frac{E}{C_+ + \sqrt{C_+^2 + E^2}} | +1\uparrow \rangle + | -1\uparrow \rangle, & |1\rangle \\ \frac{E}{C_- + \sqrt{C_-^2 + E^2}} | +1\downarrow \rangle + | -1\downarrow \rangle, & |2\rangle \\ \frac{E}{C_+ - \sqrt{C_+^2 + E^2}} | +1\uparrow \rangle + | -1\uparrow \rangle, & |3\rangle \\ \frac{E}{C_- - \sqrt{C_-^2 + E^2}} | +1\downarrow \rangle + | -1\downarrow \rangle, & |4\rangle \\ |0\uparrow\rangle, & |5\rangle \\ |0\downarrow\rangle, & |6\rangle \end{array} \right.$$

When a nonzero nuclear spin couples to the VV0

$$H/h = D\left(\hat{S}_z^2 - \frac{S(S+1)}{3}\right) + E(\hat{S}_+^2 + \hat{S}_-^2) + g\mu_B \mathbf{B} \cdot \hat{\mathbf{S}} + \sum_i \hat{\mathbf{S}} \cdot \mathbf{A}_i \cdot \hat{\mathbf{I}}_i$$